

On specification of the FABLE orientation matrix

One of the reoccurring issues then analysing diffraction data is to read the diffraction image and determine (it not known *a priori*) to orientation of the image. The image orientation is dependent on a number of things – read out electronics of the specific detector, detector software and beamline setup.

Using the FABLE ImageD11 peaksearch program the coordinates of the peaks are given as (f)ast,(s)low-coordinates. This is due to the way the pixel intensities are read from the diffraction image. The pixels are saved as one long string of binary numbers.

E.g. A 5 by 5 image

1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11,, 25

this array will be made into a 5x5 image as

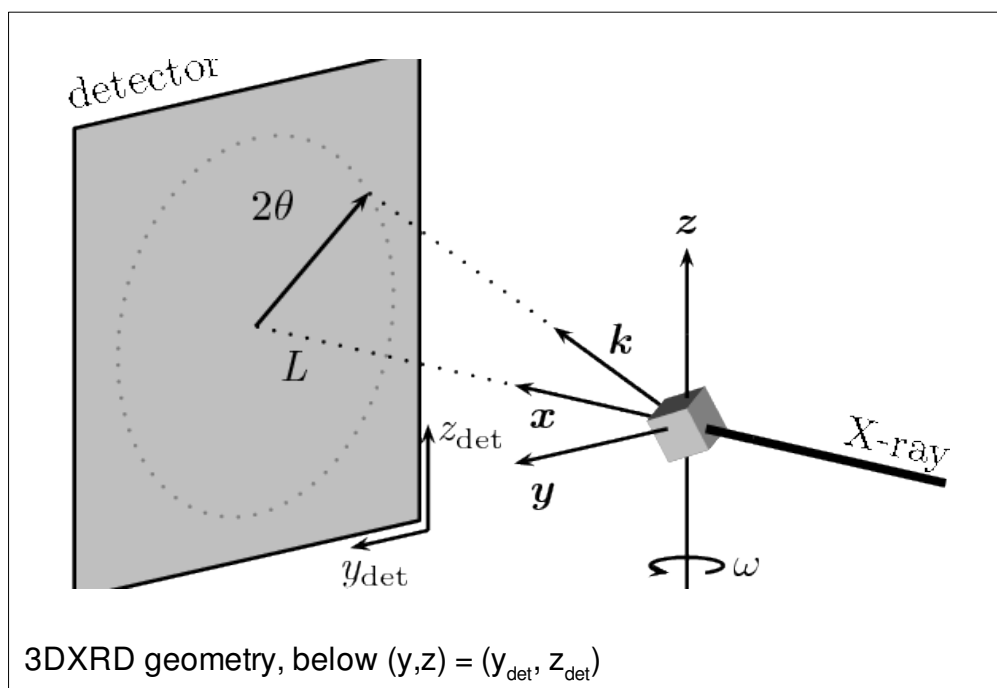
	FAST (f) →	
SLOW	1, 2, 3, 4, 5	
(s)	6, 7, 8, 9, 10	
↓	11, 12, 13, 14, 15	
	16, 17, 18, 19, 20	
	21, 22, 23, 24, 25	

Orientations matrix to take f,s coordinates into the 3DXRD coordinates

$$\begin{bmatrix} o11 & o12 \\ o21 & o22 \end{bmatrix} \begin{bmatrix} s \\ f \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$$

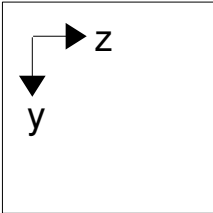
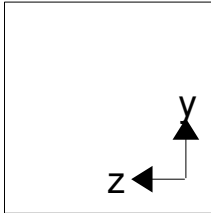

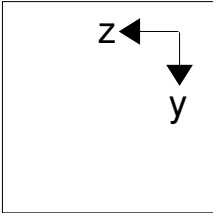
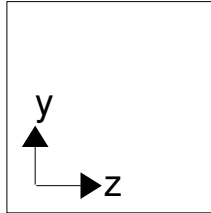

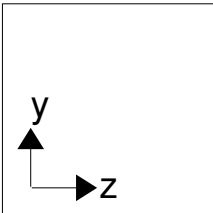
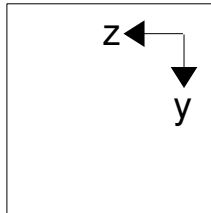

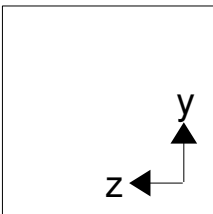
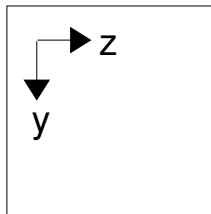

Since the s,f and z_{det}, y_{det} are defined between -0.5 and the maximum number of pixels along each direction. Negative values are added to total number of pixels

We have tried to make a scheme over the possible orientations and operations of transformation back to a standard setting can be used



to determine the orientation matrix, o, used by the FABLE programs to transform peak positions etc.

Orientation matrix $\begin{bmatrix} o11 & o12 \\ o21 & o22 \end{bmatrix}$	Standard Image setting (0,0) top left	3DXRD setting (0,0) lower right (180° rotation)	Example picture after operating by O in the 3DXRD setting shown in the former column	Operation on coordinates to determine coordinates in 3DXRD setting (y,z) $\begin{bmatrix} o11 & o12 \\ o21 & o22 \end{bmatrix} \begin{bmatrix} s \\ f \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	Transformation to make image in standard orientation – to read the image array as (z,y).	Transformation to make image in 3DXRD orientation. Image viewed as looking onto the detector along the beam
$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$				$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \begin{bmatrix} z \\ y \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	none	fliplr+flipud
$\begin{bmatrix} -1 & 0 \\ 0 & 1 \end{bmatrix}$				$\begin{bmatrix} -1 & 0 \\ 0 & 1 \end{bmatrix} \begin{bmatrix} -z \\ y \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	flipud	fliplr
$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$				$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix} \begin{bmatrix} z \\ -y \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	fliplr	flipud
$\begin{bmatrix} -1 & 0 \\ 0 & -1 \end{bmatrix}$				$\begin{bmatrix} -1 & 0 \\ 0 & -1 \end{bmatrix} \begin{bmatrix} -z \\ -y \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	fliplr+flipud	none


<p>Orientation matrix</p> $\begin{bmatrix} o11 & o12 \\ o21 & o22 \end{bmatrix}$	<p>Standard Image setting (0,0) top left</p>	<p>3DXRD setting (0,0) lower right (180° rotation)</p>	<p>Example image An image having the following orientations can be operated by O of that row</p>	<p>Operation on coordinates to determine coordinates in 3DXRD setting (y,z)</p> $\begin{bmatrix} o11 & o12 \\ o21 & o22 \end{bmatrix} \begin{bmatrix} s \\ f \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	<p>Transformation to make image in standard orientation – to read the image array as (z,y).</p>	<p>Transformation to make image in 3DXRD orientation. Image viewed as looking onto the detector along the beam</p>
$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$				$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix} \begin{bmatrix} y \\ z \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	<p>transpose</p>	<p>transpose + fliplr + flipud</p>
$\begin{bmatrix} 0 & -1 \\ 1 & 0 \end{bmatrix}$				$\begin{bmatrix} 0 & -1 \\ 1 & 0 \end{bmatrix} \begin{bmatrix} y \\ z \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	<p>transpose+ flipud</p>	<p>transpose+ fliplr</p>
$\begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$				$\begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix} \begin{bmatrix} -y \\ z \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	<p>transpose+ fliplr</p>	<p>transpose+ flipud</p>
$\begin{bmatrix} 0 & -1 \\ -1 & 0 \end{bmatrix}$				$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix} \begin{bmatrix} -y \\ -z \end{bmatrix} = \begin{bmatrix} z \\ y \end{bmatrix}$	<p>transpose + fliplr + flipud</p>	<p>transpose</p>

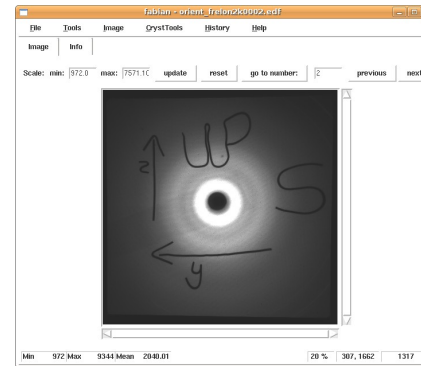
Example: If you have an image you can use fabian (or Fable ImageViewer) to display it. You can choose between the different possibilities for orientation matrix . When the image is transformed correctly it will look as if up is up left is left if you stand in front of the detector looking towards the detector (same direction as the beam). An example is shown below for the Frelon2k detector at ID11, there raw data has the orientation matrix (1,0,0,-1). Some metal wire has been bent to show the y,z axes directions and put in front of the detector to determine its orientation.

OBS: If no transformation is made, i.e. orientation matrix is (1,0,0,1), the coordinates shown below the image is (f,s).

3DXRD setting




 Transform (1,0,0,-1)



Specific parameters used by ImageD11:

Regarding the beamcenter which is spefied in ImageD11, which is presently identified by the parameters z_center , y_center . y_center is the beam center along the f coordinate (similarly y_size is the pixel size in along f) z_center is the beam center along the s coordinate (similarly z_size is the pixel size in along s)

The 3DXRD detector coordinates defined in the figure above can then be calculated as follows.

$$\begin{bmatrix} z_{det} \\ y_{det} \end{bmatrix} = \begin{bmatrix} o11 & o12 \\ o21 & o22 \end{bmatrix} \begin{bmatrix} s - z_{center} \\ f - y_{center} \end{bmatrix}$$

Specific parameters used by PolyXSim/Fabric:

In these programs the beam center is defined using the 3DXRD standard parameters $y_{\text{det}}^0, z_{\text{det}}^0$ (keyword `dety_center` and `detz_center`, respectively). If you need to determine what these are – they can be calculated using the python function **xy2detyz** found in `xfab.detector`.

E.g. On the python command line

```
>from xfab import detector
```

```
>[dety_center,detz_center] = detector.xy2detyz([z_center,y_center],o11,o12,o21,o22,z_pixel,y_pixel)
```